

Statistical Test for Population Bioequivalence

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Outline

FDA

- Background
- **D** PBE criterion
- □ The choice of PBE limit
- □ Statistical test for PBE

Background



- Remove individual bioequivalence
- Crossover design -> Parallel design
- □ PBE: mainly used as the key statistical approach for in vitro BE
 - Nasal drug products
 - Oral inhalation drug products

PBE Criterion



Hypotheses:

$$\begin{aligned} & H_0: \theta \geq \theta_P \quad \text{vs.} \quad H_a: \theta < \theta_P \\ \text{where } \theta = \begin{cases} \frac{(\mu_T - \mu_R)^2 + \sigma_T^2 - \sigma_R^2}{\sigma_R^2} & \text{if } \hat{\sigma}_R > \sigma_0 \\ \frac{(\mu_T - \mu_R)^2 + \sigma_T^2 - \sigma_R^2}{\sigma_0^2} & \text{if } \hat{\sigma}_R \leq \sigma_0 \end{cases} \end{aligned}$$

More notation:

- θ_P is the PBE limit
- $-\sigma_0^2$ is a regulatory constant for variance (recommended as $\sigma_0^2 = 0.01$)
- □ Aggregate & mixed scaling approach

PBE Limit θ_P



PBE measure can be expressed as follows:

$$\frac{(\mu_{\rm T} - \mu_{\rm R})^2 + \sigma_{\rm T}^2 - \sigma_{\rm R}^2}{\max\{\sigma_0^2, \sigma_{\rm R}^2\}} = \frac{\text{Average BE limit + Variance term}}{\text{Scaled variance term}}$$

- An upper BE limit of 1.11 is recommended for the average BE limit.
- Allowance of 0.01 is recommended for the variance term. Note this value may be adjusted depending on the average BE limit for in vitro data.
- $\hfill\square$ Accordingly, the PBE limit θ_P is recommended as

$$\theta_{\rm P} = \frac{\left(\ln 1.11\right)^2 + 0.01}{0.01} = 2.089$$

Statistical Test of PBE



 $\hfill \hfill A$ linearized form: $H_0 \colon \gamma \geq 0$ ($\equiv H_0 \colon \theta \geq \theta_P$), where

$$\gamma = \begin{cases} (\mu_{\rm T} - \mu_{\rm R})^2 + \sigma_{\rm T}^2 - (\sigma_{\rm R}^2 + \theta_{\rm P} \sigma_{\rm R}^2) & \text{if } \hat{\sigma}_{\rm R} > \sigma_0 \\ \\ (\mu_{\rm T} - \mu_{\rm R})^2 + \sigma_{\rm T}^2 - (\sigma_{\rm R}^2 + \theta_{\rm P} \sigma_0^2) & \text{if } \hat{\sigma}_{\rm R} \le \sigma_0 \end{cases}$$

- $\label{eq:pbecaused} \square \mbox{ PBE can be claimed } \Leftrightarrow \ \widehat{\gamma}_U \leq 0, \mbox{ where } \widehat{\gamma}_U \mbox{ is a 95\% upper confidence bound for } \gamma.$
- Approximated 95% upper confidence bound for γ is given in the FDA's draft guidance.



Thank you!

Questions?